# The time-dependent Hartree-Fock approach

# $i\hbar \frac{d}{dt} |\varphi_i(t)\rangle = \hat{h}[\rho] |\varphi_i(t)\rangle \text{ for } i = 1, 2 \cdots N$

ex: vibrations induced by an external excitation

#### **TDHF:** practical aspects

#### **TDHF calculations**

**Evolution operator**  $|\varphi_i(t)\rangle \neq \exp(-i\hat{h}t)|\varphi_i(0)\rangle$ 

because  $\hat{h}[\rho(t)]$  is time dependent We assume  $\hat{h} \equiv Cst$  between t and  $t + \Delta t$ 

$$\left|\varphi_{i}(t+\Delta t)\right\rangle \approx \exp\left[-i\frac{\Delta t}{\hbar}\hat{h}(t+\frac{\Delta t}{2})\right] \left|\varphi_{i}(t)\right\rangle$$

#### **TDHF:** practical aspects

#### **TDHF calculations**

#### algorithm (order 2 Runge-Kutta)

# Ex: octupole vibration in <sup>208</sup>Pb

external excitation  $\hat{V}_{ext}(t) = \varepsilon \hat{Q}_{30} \delta(t - t_0)$ 



«very» Collective: almost all nucleons participate to the vibration

high energy (typically 10 - 30 MeV)

some nucleons are promoted into the continuum



giant monopole resonance (breathing mode)



#### TDHF response to a monopole excitation



#### TDHF response to a monopole excitation





#### TDHF response to a monopole excitation





#### decay by nucleon emission



emitted nucleon detector (Fourier transform)

nucleus

decay by nucleon emission

nucleus

detector (Fourier transform)

#### decay by nucleon emission

nucleus

P(E)

detector (Fourier transform)

F

#### decay by nucleon emission

P(E)

nucleus

MAM

detector (Fourier transform)

F

Decay of a Giant resonance

(IVGMR in <sup>40</sup>Ca)



Decay of a Giant resonance

(IVGMR in <sup>40</sup>Ca)



Decay of a Giant resonance (IVGMR in <sup>40</sup>Ca) Coulomb barrier



